

Ventilation

4. Natural ventilation

Bachelor / Master degree course

Vladimir Zmrhal

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■ Principle of ventilation



Natural ventilation

- is driven by pressure differences across the building envelope, caused by **wind and air density differences** because of temperature differences between indoor and outdoor air
- the flow of air through open windows, doors, grilles and other planned building envelope penetrations

Mechanical (forced) ventilation

- intentional movement of air into and out of building using **mechanical force**
- is driven by fans

Hybrid ventilation

■ Natural ventilation



The air flow is driven by pressure differences across the building envelope.

Pressure difference is caused by:

- **air density differences** (temperature differences between indoor and outdoor air)
- **wind pressure**

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■ Natural ventilation



- **natural ventilation by large openings** (permanent)
- **shaft ventilation** (permanent)



heat source

- **interrupted natural ventilation** (time limited)
- **infiltration** (time limited)



depends on
outdoor climatic
conditions

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■ Natural ventilation



Balanced natural ventilation

- for ventilation in industry with permanent heat gain – **natural ventilation by large openings**
- **infiltration and interrupted ventilation** – residential application etc.

Natural local exhaust

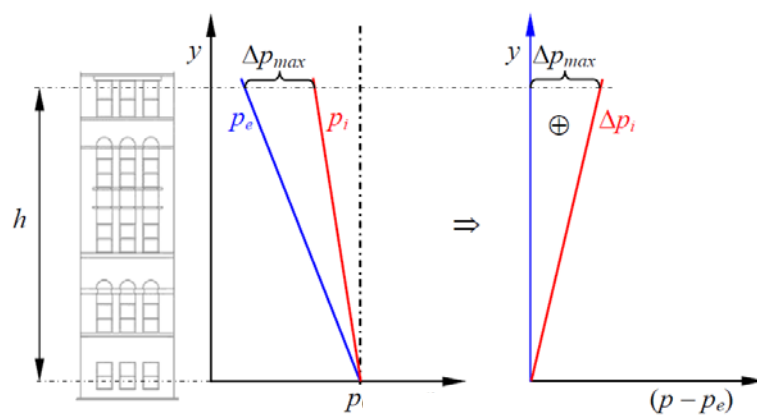
- **shaft ventilation** – industry

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■ Natural ventilation



Stack pressure - hydrostatic pressure caused by the mass of a column air located inside or outside a building



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■ Natural ventilation



Stack pressure difference

$$p_o = p - \rho_o g y$$

$$p_i = p - \rho_i g y$$

$$\Delta p = p_i - p_o = p - \rho_i g y - (p - \rho_o g y) = g y (\rho_o - \rho_i)$$

$$\Delta p_{\max} = g \int_0^h (\rho_o - \rho_i) dy$$

$$\Delta p_{\max} = g h (\rho_o - \rho_i)$$

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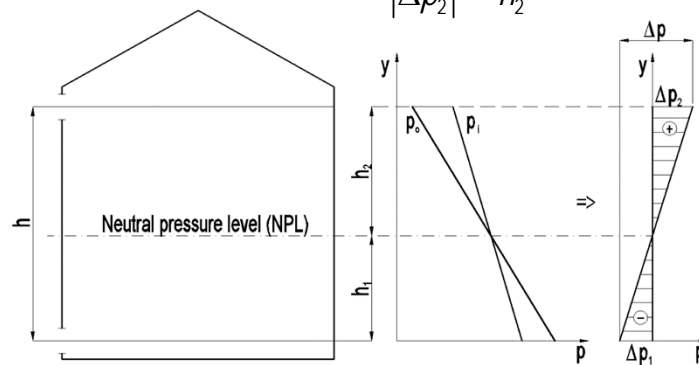
■ Natural ventilation



Neutral pressure level

$$\Delta p_{\max} = |\Delta p_1| + |\Delta p_2|$$

$$\frac{|\Delta p_1|}{|\Delta p_2|} = \frac{h_1}{h_2}$$



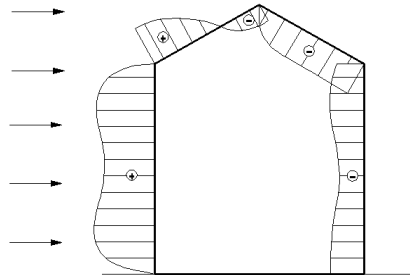
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■ Natural ventilation



Wind pressure

$$p_w = C_p \frac{w^2}{2} \rho$$



where C_p is wind surface pressure coefficient (empirical); it depends on wind direction, orientation of the building surface, ...

$C_p = -1.4$ to 1.4

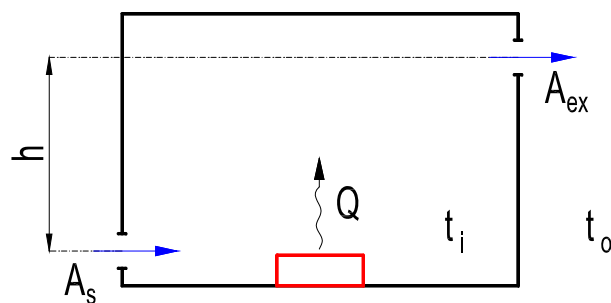
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■ Natural ventilation by large openings



Technical rooms

(boiler room, current transformer room, junction exchange station, ...)



→ Goal = design of openings area A_{ex} , A_s

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■ Natural ventilation by large openings



Mass air flow

$$\dot{M} = \frac{\dot{Q}}{c(t_{ex} - t_s)}$$

$$t_s = t_o$$

$$t_{ex} = t_i$$

Openings area

$$M_{ex} = M_s = M$$

$$\mu_{ex} A_{ex} \rho_{ex} w_{ex} = \mu_s A_s \rho_s w_s \leftarrow w_s = \sqrt{\frac{2\Delta p_s}{\rho_s}}$$

$$\frac{\Delta p_s}{\Delta p_{ex}} = \frac{\mu_{ex}^2}{\mu_s^2} \frac{\rho_{ex}}{\rho_s} \frac{A_{ex}^2}{A_s^2}$$

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■ Natural ventilation by large openings



Discharge coefficient for opening μ

$$\mu = \alpha \varphi$$

where φ

...velocity coefficient [-]

α

...coefficient of contraction [-]

$$\varphi = \frac{w}{w_t}$$

real and theoretical velocity ratio

$$\alpha = \frac{A'}{A}$$

real and theoretical area ratio

$$\mu = \frac{wA'}{w_t A} = \frac{V}{V_t}$$

real and theoretical volume flow ratio

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■ Natural ventilation by large openings



Discharge coefficient for opening μ

Opening	H/B	Shutter angle α				
		15°	30°	45°	60°	90°
Supply air with louver	1	0,15	0,3	0,44	0,56	0,64
	0,5	0,13	0,27	0,39	0,56	0,61
Single baffle center-hinged	1	0,15	0,3	0,44	0,56	0,64
	0,1	0,13	0,27	0,39	0,56	0,61

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■ Natural ventilation by large openings



Pressure difference (stack effect)

$$\Delta p = hg(\rho_o - \rho_i) \quad \rho = 1,293 \frac{p}{101325} \frac{273}{273 + t}$$

for pressure differences Δp_s , Δp_{ex} can be written

$$\Delta p = \Delta p_s + \Delta p_{ex}$$

Openings area [m²]

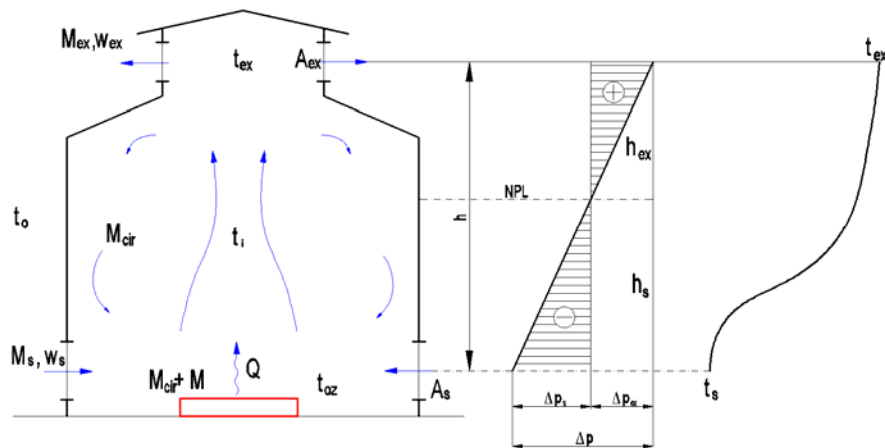
$$A_s = \frac{M_s}{\mu_s \sqrt{2\Delta p_s \rho_s}} \quad A_{ex} = \frac{M_{ex}}{\mu_{ex} \sqrt{2\Delta p_{ex} \rho_{ex}}}$$

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■ Natural ventilation by louvers



Industrial halls



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■ Natural ventilation by louvers



Pressure difference (stack effect)

$$\Delta p = hg(\rho_o - \rho_i) \quad t_i = \frac{t_{oz} + t_{ex}}{2}$$

Vertical air temperature changes → coefficient of heat removal efficiency B [-]

$$B = \frac{M_{rec}}{M + M_{rec}}$$

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■ Natural ventilation by louvers



Heat balance

$$M_{rec}ct_{ex} + Mct_o = (M + M_{rec})ct_{oz}$$

$$B = \frac{t_{oz} - t_o}{t_{ex} - t_o} < 1$$

$$B = 0,25 \text{ to } 0,4$$

- Summer: $t_{oz} - t_o \leq 5 \text{ K}; \quad t_o = 25 \text{ °C}$
 - Winter: $t_{oz,min} = 10 \text{ °C}; \quad t_o = 0 \text{ °C}$
- } in Czech Rep.

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■ Natural ventilation by louvers



Heat coefficient B

Industry application		B
Steel mill	basic furnace	0,30 - 0,35
	electric furnace	0,35 - 0,40
	cast hall	0,25 - 0,30
Rolling mill	furnace	0,25 - 0,30
	rolling section	0,25 - 0,45
Foundry	melting-house, cupola	0,40 - 0,45
	cast into ingots	0,37 - 0,40
	cooling section	0,65 - 0,70
Glass factory	tank furnace	0,26 - 0,30
	pot furnace	0,26 - 0,28

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■ Natural ventilation by louvers



Louvers area calculation

➤ see page 11 to 14

Location of the openings in summer (by the floor) and winter (smaller openings and higher location - up to 4 m).

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■ Shaft ventilation



➤ pressure difference due to stack effect

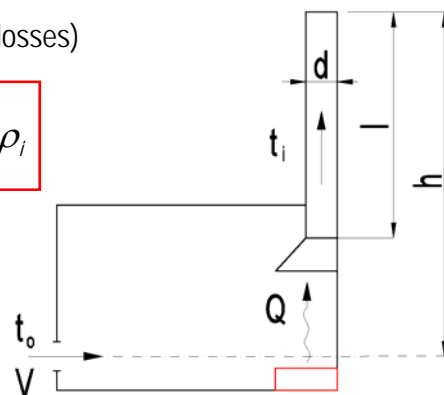
$$\Delta p = hg(\rho_o - \rho_i)$$

➤ pressure loss (friction and local losses)

$$\Delta p_{loss} = \left(\lambda \frac{l}{d} + \sum \zeta + 1 \right) \frac{w^2}{2} \rho_i$$

$$\Delta p \geq \Delta p_{loss}$$

$$\dot{V} = \frac{\dot{Q}}{\rho c(t_i - t_o)}$$



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■ Shaft ventilation



- **assumption:** the pressure in the shaft is approximately equal to atmospheric pressure

$$p_i = p_o$$

- effect of the area of the supply opening

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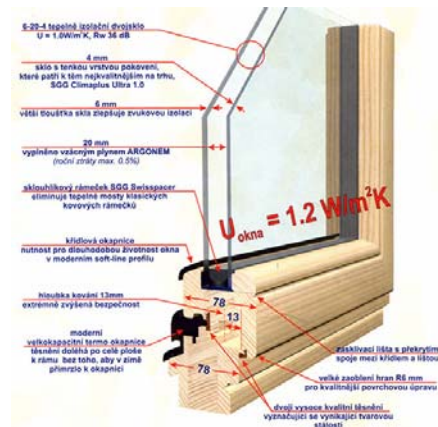
■ Infiltration



- uncontrolled natural ventilation through the **cracks, gaps around closed windows and doors**, mortar joints
- air leakage through the building envelope
- **positive effect** of infiltration → ventilation
- **negative effect** of infiltration → heat losses in winter
- **present → tight windows**

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■ Infiltration



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■ Infiltration



Airflow through the gaps

$$V_o = \sum (i \cdot l) \Delta p^n$$

where Δp ... pressure difference across the leakage path [Pa]

i ... flow coefficient [$\text{m}^3/(\text{s.m.Pa}^{0.67})$]

l ... length of the gaps [m]

n ... flow exponent $n = 0,67$

Ventilation heat loss

$$Q_{\text{vent}} = V_o \rho c (t_i - t_o)$$

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■ Infiltration



Example:

Room 10 m², height 2,6 m, window 1,2 x 1,5 m, $t_o = -12\text{ °C}$, $t_i = 20\text{ °C}$

	$i [\text{m}^3/(\text{m.s.Pa}^{0,67})]$	$I [\text{h}^{-1}]$	$Q_{\text{vent}} [\text{W}]$
Old windows	0,00019	0,80	240
Requirements	0,00001 to 0,000087	0,02 to 0,36	6 to 109
Common windows	0,000025	0,10	31
Top windows	0,000004	0,02	5

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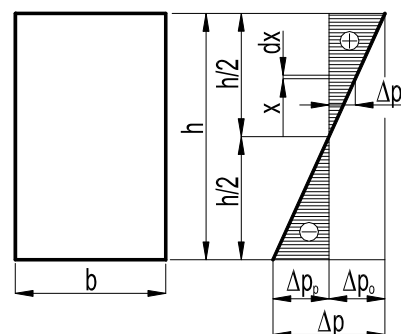
■ Interrupted natural ventilation



- casual opening of the window
- lower and higher parts of the window
- mass balance

$$\dot{M}_o = \dot{M}_{ex} = \dot{M}$$

$$\dot{M}_o = \mu \rho_o w_o S_o$$



$$d\dot{M} = \mu \rho_o \sqrt{\frac{2\Delta p_x}{\rho_o}} b dx = \mu \sqrt{2gx(\rho_o - \rho_i) \rho_e} b dx$$

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■ Interrupted natural ventilation



$$M = \mu b \sqrt{2g(\rho_o - \rho_i)\rho_o} \int_0^{h/2} x^{1/2} dx = \mu b \sqrt{2g(\rho_o - \rho_i)\rho_o} \frac{2}{3} \left(\frac{h}{2}\right)^{3/2}$$

$$= \mu \frac{2}{3} b \sqrt{2g(\rho_o - \rho_i)\rho_o} \left(\frac{h^3}{8}\right) \dots$$

$$M = \mu \frac{1}{3} b \sqrt{g(\rho_o - \rho_i)\rho_o} h^3$$

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■ Natural ventilation of technical room



Example 1: Junction exchange station

Calculate $A_s = ?$ and $A_{ex} = ?$

Internal heat gains	$Q = 5 \text{ kW}$	
Outdoor air temperature	$t_o = 30 \text{ °C}$	(in summer)
Max. indoor air temperature	$t_i = 35 \text{ °C}$	(in summer)
Atmospheric pressure	$p = 100 \text{ kPa}$	

$$h = 3 \text{ m}$$

$$\mu_s = \mu_{ex} = 0.65$$

$$A_{ex} = A_s$$

$$\rho = 1.293 \frac{p}{101325} \frac{273}{273 + t}$$

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■ Natural ventilation by louvers



Example 2: Calculate $A_s = ?$ and $A_{ex} = ?$

Internal heat gains	$Q = 150 \text{ kW}$
Outdoor air temperature	$t_o = 25 \text{ °C}$ (summer)
Temp. in occupied zone	... see lecture
Atmospheric pressure	$p = 100 \text{ kPa}$

$h = 12 \text{ m}$

$B = 0.35$

$\mu_s = 0.75; \mu_{ex} = 0.65$

$A_{ex} / A_s = 1 / 2$

$$\rho = 1.293 \frac{p}{101325} \frac{273}{273 + t}$$

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Thank you for your attention



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